1 of 3

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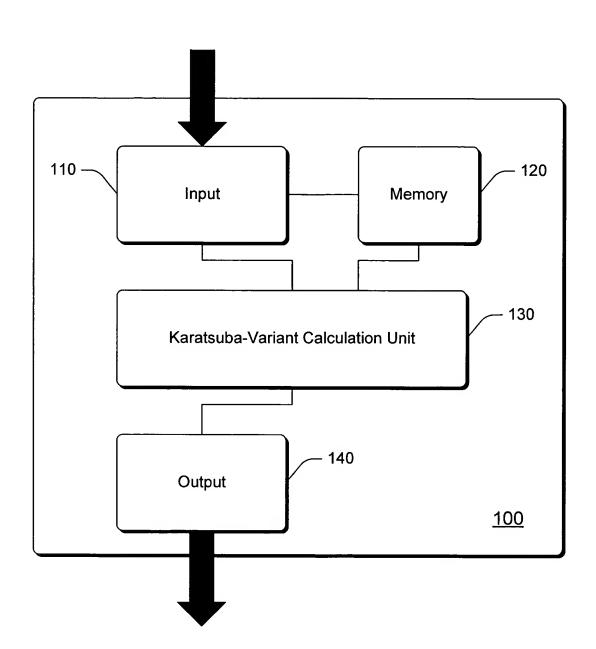


Fig. 1

Docket No: MS1-1245us Inventor(s): Montgomery

2 of 3

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Obtaining one or more pairs of input polynomials with six 210 terms each

Selecting a pair of polynomials, where each of the pair are 220 6-term polynomials, which are nominally described as:  $a(X) = a_0 + a_1X + a_2X^2 + a_3X^3 + a_4X^4 + a_5X^5$  and  $b(X) = b_0 + b_1 X + b_2 X^2 + b_3 X^3 + b_4 X^4 + b^5 X^5$ , respectively

Computing the product polynomial of the input

polynomials using the following equation:  $(a_0 + a_1 + a_2 + a_3 + a_4 + a_5) (b_0 + b_1 + b_2 + b_3 + b_4 + b_5) C$ 

 $+(a_1+a_2+a_4+a_5)(b_1+b_2+b_4+b_5)(-C+X^6)$ 

 $+(a_0+a_1+a_3+a_4)(b_0+b_1+b_3+b_4)(-C+X^4)$ 

 $+(a_0-a_2-a_3+a_5)(b_0-b_2-b_3+b_5)(C-X^7+X^6-X^5+X^4-X^3)$ 

 $+ (a_0 - a_2 - a_5) (b_0 - b_2 - b_5) (C - X^5 + X^4 - X^3)$ 

 $+ (a_0 + a_3 - a_5) (b_0 + b_3 - b_5) (C - X^7 + X^6 - X^5)$ 

 $+(a_0+a_1+a_2)(b_0+b_1+\tilde{b}_2)(C-X^7+X^6-2X^5+2X^4-2X^3+X^2)$ 

 $+ (a_3 + a_4 + a_5) (b_3 + b_4 + b_5) (C + X^8 - 2X^7 + 2X^6 - 2X^5 + X^4 - X^3)$ 

 $+(a_2+a_3)(b_2+b_3)(-2C+X^7-X^6+2X^5-X^4+X^3)$ 

 $+ (a_1 - a_4) (b_1 - b_4) (-C + X^4 - X^5 + X^6)$ 

 $+(a_1+a_2)(b_1+b_2)(-C+X^7-2X^6+2X^5-2X^4+3X^3-X^2)$ 

 $+(a_3+a_4)(b_3+b_4)(-C-X^8+3X^7-2X^6+2X^5-2X^4+X^3)$ 

 $+(a_0+a_1)(b_0+b_1)(-C+X^7-X^6+2X^5-3X^4+2X^3-X^2+X)$ 

 $+ (a_4 + a_5) (b_4 + b_5) (-C + X^9 - X^8 + 2X^7 - 3X^6 + 2X^5 - X^4 + X^3)$ 

 $+ a_0 b_0 (-3C + 2X^7 - 2X^6 + 3X^5 - 2X^4 + 2X^3 - X + 1)$ 

 $+ a_1 b_1 (3C - X^7 - X^5 + X^4 - 3X^3 + 2X^2 - X)$ 

 $+ a_4 b_4 (3C - X^9 + 2X^8 - 3X^7 + X^6 - X^5 - X^3)$ 

 $+ a_5 b_5 (-3C + X^{10} - X^9 + 2X^7 - 2X^6 + 3X^5 - 2X^4 + 2X^3)$ 

250

Report results

230 -

Are there more polynomials that remain unselected?

Yes

240

Fig. 2

No

Docket No: MS1-1245us

3 of 3

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